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Supplement of

Exploring new topography-based subgrid spatial structures for improving land surface modeling

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Supplementary Materials

Tables

Table 1s: Algorithm applied to derive elevation-based SUs using the Local method.

Algorithm 1: Local method of subbasin discretization. Array $BRK_i = [Elv_{min}, Elv_{0.2}, Elv_{0.5}, Elv_{0.8}, \text{ and } Elv_{max}]$ denotes elevation values at the initial class breaks, where Elv_{min} , $Elv_{0.2}$, $Elv_{0.5}$, $Elv_{0.8}$, and Elv_{max} refer to the minimum elevation, elevation values at relative areas of 0.2, 0.5, and 0.8, and maximum elevation of the subbasin, respectively. Array $R_i = [R_1, R_2, R_3, R_4]$ denotes the values of elevation range between consecutive BRK_i . Variable BRK_f denotes the final values of elevation at class breaks. Variable thr denotes the value of elevation threshold (100 m). Variable n denotes the number of R_s with values less than thr . Function $GetFinalBRKs()$ denotes a function used to determine BRK_f by recursively merging R_s less than the thr with the neighboring R_s recursively.

For each Subbasin:

Derive a hypsometric curve

Determine elevation values at the BRK_i

Calculate values of R_i between consecutive BRK_i

Determine n

If $n == 0$ // All values of R_i greater than the thr

$BRK_f = BRK_i$

$R_f = R_i$

Else if $R_1 \geq thr$ and $R_2 < thr$ and $R_3 < thr$ and $R_4 \geq thr$:

If $(R_2 + R_3) \geq thr$:

$BRK_f = [Elv_{min}, Elv_{0.2}, Elv_{0.8}, Elv_{max}]$ // Keep the body as separate class

Else:

$BRK_f = [Elv_{min}, Elv_{0.5}, Elv_{max}]$ // Split the body into the head and tail

Else if $R_1 \geq thr$ and $R_2 < thr$ and $R_3 \geq thr$ and $R_4 \geq thr$:

$BRK_f = [Elv_{min}, Elv_{0.2}, Elv_{0.8}, Elv_{max}]$ // Keep the body as separate class

Else if $R_1 \geq thr$ and $R_2 \geq thr$ and $R_3 < thr$ and $R_4 \geq thr$:

$BRK_f = [Elv_{min}, Elv_{0.2}, Elv_{0.8}, Elv_{max}]$ // Keep the body as separate class

Else:

$BRK_f = GetFinalBRKs(BRK_i, R_i, thr)$ // Call the recursive function

Return BRK_f

Table 2s: Algorithm to determine the final class break values (BRK_f) by merging elevation ranges with less than the threshold value to the neighboring elevation ranges recursively.

Algorithm 2: To determine the final values of class breaks using recursive function GetFinalBRKs(). BRK_i , R_i , n , thr , denote the same variables as in Algorithm 1 (Table 1). Variables i and nn denote an index values of BRKs and the number of all Rs, respectively.

Function GetFinalBRKs(BRK_i , R_i , thr):

 Determine n

 Determine nn // number of all Rs

 Determine i // index of Rs with less than thr

 If $n > 0$ and $nn > 1$:

 Get the index (i)

 If $i == 0$: // R is at the beginning of the array

$R_i[i + 1] = R_i[i + 1] + R_i[i]$ // merge R with the next neighbor

 Update BRK_i

 Call GetFinalBRKs(BRK_i , R_i , thr) // This is a recursive call

 Else if $i == nn$: // R is at the end of the array

$R_i[i - 1] = R_i[i - 1] + R_i[i]$ //merge R with the previous neighbor

 Update BRK_i

 Call GetFinalBRKs(BRK_i , R_i , thr) //Recursive call

 Else: // merge with the smaller neighbor

 If $R_i[i - 1] > R_i[i + 1]$

$R_i[i + 1] = R_i[i + 1] + R_i[i]$ // merge R with the next neighbor

 Update BRK_i

 Call GetFinalBRKs(BRK_i , R_i , thr) // This is a recursive call

 Else:

$R_i[i - 1] = R_i[i - 1] + R_i[i]$ // merge R with the previous neighbor

 Update BRK_i

 Call GetFinalBRKs(BRK_i , R_i , thr) // This is a recursive call

Return BRK_i

Table 3s: Comparing the SUs of the Global method generated using 3% area threshold and Subbasin representations against the original PRISM grid representation using statistical summary of precipitation and surface temperature calculated over the study domain

Representation	Precipitation (mm)		Temperature (C°)	
	Average	Standard deviation	Average	Standard deviation
Subbasin	669.036	459.479	7.179	2.525
Non-geo-located subgrid units using the Global method	728.95	509.79	7.09	2.71
Original PRISM Grid	717.021	519.523	6.935	2.681

Table 4s: Comparing the SUs of the Global method generated using 3% area threshold and Subbasin representations against the original NDVI grid representations using statistical summary of spring and summer NDVI values calculated over the study domain

Representation	NDVI values (spring)		NDVI values (summer)	
	Average	Standard deviation	Average	Standard deviation
Subbasin	5804.00	1735.03	5128.87	1967.29
Non-geo-located subgrid units using the Local method	5909.03	1881.78	5351.59	2115.09
Original NDVI Grid	5810.02	2159.39	5207.00	2342.65

Figures

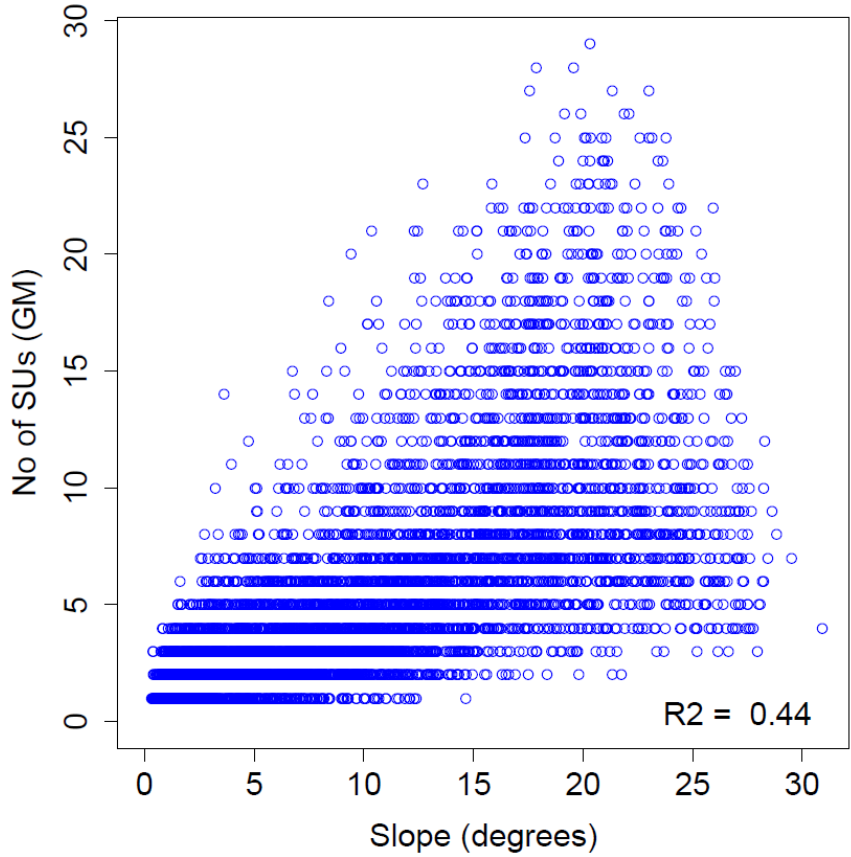


Figure 1s: Number of geo-located subgrid units per subbasin from the Global method based on the combination of topographic elevation and slope at area threshold value of 1% compared against values of average slope of the subbasins.

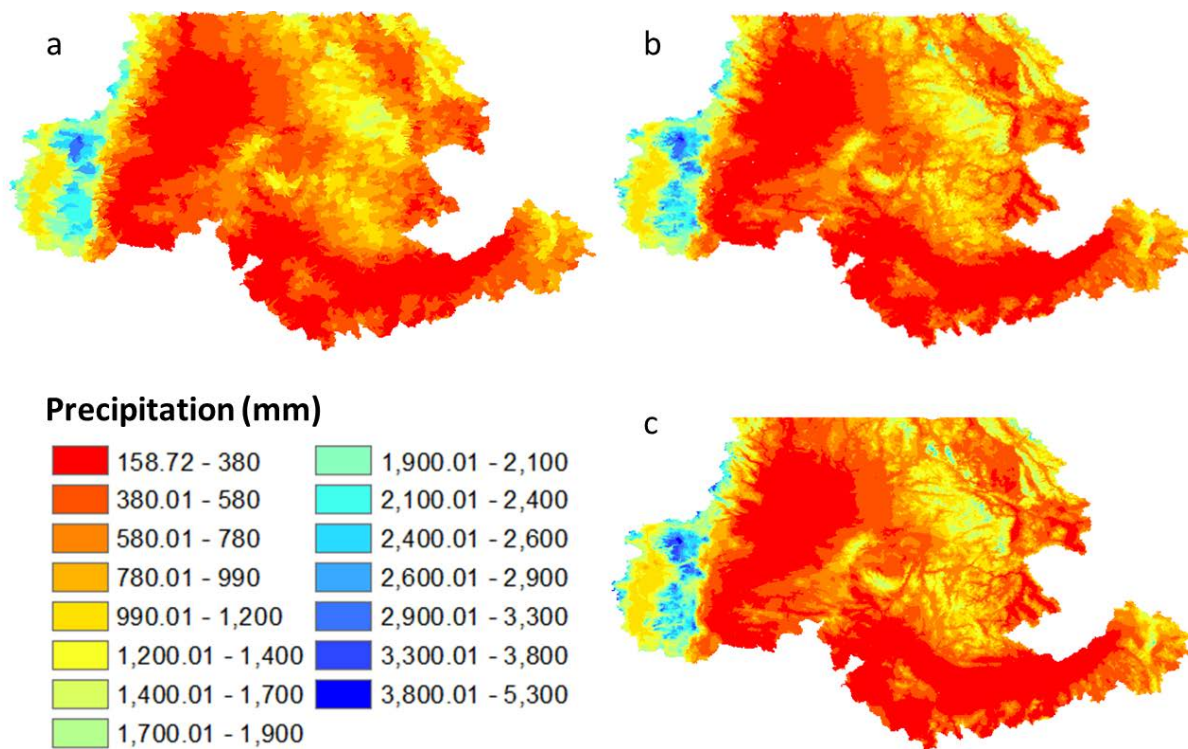


Figure 2s: PRISM 30 year normal precipitation represented using the subbasins (a) and non-geo-located SUs from the Global method using 3% area threshold (b) compared to those of the original PRISM grids (c). The 535 Canadian territory of the study area is not represented in the PRISM dataset.

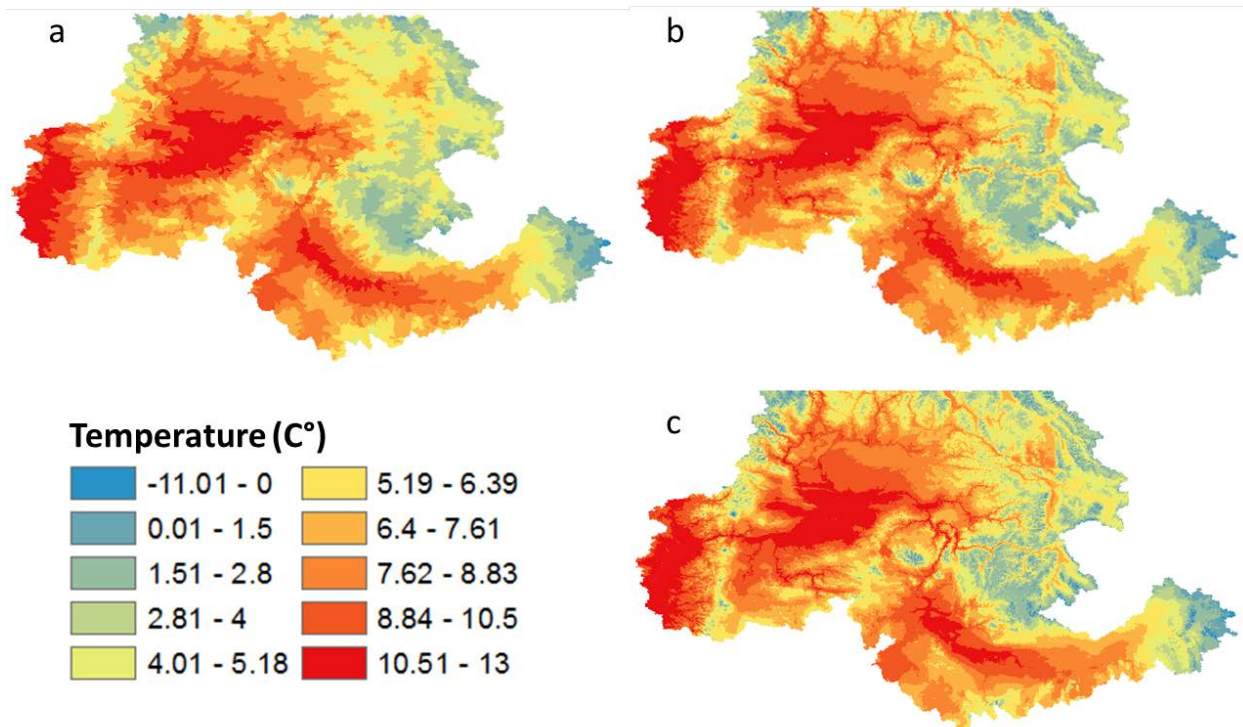


Figure 3s: PRISM 30 year normal precipitation represented using the subbasins (a) and non-geo-located SUs from the Global method using 3% area threshold (b) compared to those of the original PRISM grids (c). The 535 Canadian territory of the study area is not represented in the PRISM dataset